

$$\frac{S}{\phi} \sim e$$

< <

^ _
 K √ n ≠ ☼ O à ~ r⁺ ☼ z H~ ℳ ● à z r⁺ ☼
 ~ Ž wy ● ℳ ● Ž Ů~ ~ N^T £ ⊖~
 Δ ε N^T £ È~ z ∞ wy³ ჯ ა ე Ⴉ~ q ☼ O
 “H r⁺ Ω Ā K √ q,
 ~ ā⁺ s „ φ à t è κ r⁺ ☼ g W● ⊖ i ●
 ° .wy ñ⁰ N φ~ ε È “ ʔ ü~ F e_r
 1 wy M³ © ü φ q,
 - Ž α q u J s ● u J v Ů || wy ☼ ~
 Q q s ● v ~ ý wy^N g M r⁺ “
 9 p~ ∞ G ⊖ ñ” ā l π~ i ā ∞ È~ | ý
 ● ý q³ ʔ¹ g q h ● Ž ā
 q,
 3 9 π t è π Ā √~ q İ
 3_ 3 9 π t è π Ā √~ q İ E wy D ʔ z ∞ R̄ 0

$$\frac{\text{S} \, \text{„} \, \varphi \, \downarrow \sim \text{„}}{\quad}$$

“ „

$\sim$ „ K ê á ! U w s $\uparrow$ J z s Ā ↓ A ∅
 ° Ā ↓ ° È $\sim$ $\overline{\text{r}}$ w $\sim$ $\text{„} \, \varphi \, \downarrow \, \emptyset \, \text{K} \, \downarrow \, \text{°} \, \text{È} \, \uparrow \, \text{á}$
 ă ↓ $\sim$ q wy h r s G K ↓ x q ☼ M
 $\sim$ q q ,

“ „ n || „

$\sim$ „ K ↓ „ ■ $\sim$ z s Ÿ $\uparrow$ F r † ☼ ∅ i ■
 ° wy ħ ° N $\varphi \sim$ e È $\text{„} \, \varphi \, \downarrow \, \text{°} \, \text{È} \, \text{„} \, \text{q} \, \text{K}$
 ↓ Ž r † ☼ O β D ∅ ° r ☼ ° È $\sim$ á r † ☼ ă
 r † ↓ π $\uparrow$ $\text{„} \, \varphi \, \downarrow \, \text{°} \, \text{È} \, \text{„} \, \text{q} \, \text{„}$
 r ☼ ↓ Y $\text{„} \, \varphi \, \downarrow \, \text{°} \, \text{È} \, \text{„} \, \text{q} \, \text{„}$
 wy π á $\text{„} \, \varphi \, \downarrow \, \text{°} \, \text{È} \, \text{„} \, \text{q} \, \text{„}$
 $\sim$ „ $\uparrow$ ↓ W r † ☼ O β D $\sim$ ↓ wy ê á F

1 ~ ǫ Ė
 ! Ö K z ǫ O = L̄ ~ N wy á ®
 ☼ ~ z ǫ q₂ ã wy Ĩ H ~ k h Y
 ♪ K „ ~ ˘ ş ~ „ φ q₁
 ˘ ǣ O z ǫ O m j ǫ ~ ~ N Ž K v ~ ˘ wy
 3 ® ü φ q 3 9 π t ě π ǫ Ė wy ˘ z ǫ
 Ā K v ~ q₂ ã wy ã ˘ ş 1 g δ ǫ wy v á
 ʱ M ˘ ş ǎ₉ ǫ v wy z ǫ ʁ m ˘ ş ~ O q₁
 2 3 wy z ǫ ~ ˘ ş wy B á ǧ ~ W K β D
 r Ā q₁
 ˘ ǣ á ǎ r⁺ v w O ʁ wy ü ! z ǫ ~ ˘ ş W
 ˘ wy Y m 1 = r⁺ ~ Ω ǫ g r⁺ M ˘
 9 p ~ ǫ G ~ wy Ů₃ h o z ǫ wy v
 Ā Š ~ q ʁ π ˘ I n á m ǫ ü wy z
 ǫ ɹ m Y 1 ~ β Ā á q Ā ~ £
 2 K ã v q₁

2 $K^{\wedge}$,

‘ “ , $\mathbb{Z}$ $\otimes$,

’ “ , ‘ $\bar{u}$ $\bar{O}$ $\mathcal{V} \sim 1$ $g \delta$ $\otimes$ $\mathbb{Y}^N$ ‘ $\sim$ $\mathfrak{H}$ $\otimes$ „ φ $\check{\alpha} \uparrow$,

‘ “ , $\sim$ $\perp$ $\S$,

‘ ‘ $\frac{\partial}{\partial t}$ $\frac{\partial}{\partial t}$ $\frac{\partial}{\partial t}$,

‘ $\mathbb{Z}$ $\otimes$ $\mathbb{C}$ 1 $g \delta$ $\otimes$ $\mathbb{C}$ $\perp$ $\S$,

‘ ‘

‘ ‘ , $\check{\alpha}$ $\mathbb{Y} \bar{U}$ ’ $\mathfrak{z}$ $\dot{Y}$ ‘ $\mathcal{H}$ ‘ $\sim$ „ φ $\mathcal{Q}$ $\mathbb{C}$
‘ $\mathcal{B}$, $\dot{R}$ $\mathfrak{e}$ $\mathbb{Y} \mathcal{M}$! , $\mathfrak{z}$ $\mathbb{Y}$ $\dot{Y}$
 $_1$ ‘ $\bar{O}$ $\sim$ $\odot$ $\mathcal{Q}$ $\mathbb{C}$

‘

2 $K^{\sim}$,

‘ “ , $\mathbb{Z}$ $\otimes$,

’ “ , ‘ $\check{\alpha}$ ~ 1 $g \delta$ $\otimes$ $\mathbb{Y}$ ’ N $\mathfrak{H}$ $\otimes$ „ φ $\check{\alpha} \uparrow$,

‘ “ , ‘ $\check{\alpha}$ ~ 1 $g \delta$ $\otimes$ $\mathbb{Y}$, N $\mathfrak{H}$ $\otimes$ „ φ $\check{\alpha} \uparrow$,

‘ “ „ $\sim$ $\perp$ $\S$,

‘ ‘ $\frac{\partial}{\partial t}$ $\frac{\partial}{\partial t}$ $\frac{\partial}{\partial t}$,

$\mathbb{Z}$ $\otimes$ $\mathbb{C}$ 1 $g \delta$ $\otimes$ $\mathbb{C}$ 1 $g \delta$ $\otimes$ $\mathbb{C}$, $\ddot{e}$ $\mathfrak{Q} \mathcal{M}$

~ z 2 K ☀ ~ e ய B Q e 4 T ☐ e 'H È ⊕ q,
 ~ á g á t è k r⁺ ☀ z H~ ൯ ☐ á z t è r⁺ ☀
 ~ Ž ய ☐ ൯ ☐ Ž Û~ N^T £ Ɔ~ Δ
 e N^T £ È~ r⁺ g ய z ☐ Q⁺ s 7 Ɔ ù~ D Ɔ ~
 g δ ☐ Ḃ r⁺ യ z ☐ h ṽ യ̄ = Ž ~ z യ 4
 s^w R e യ 4 m ~ 1 ☀ K
 ↑ ☀ 4 Q~ 7 q m g k Ɔ 4 N z ☐ 7 m r⁺
 ~ 1 g δ ☐ യ e á Q ~ e ý Ɔ ù v £ Q ' x q 1
 g δ ☐ Š z Õ Û Ý m r⁺ ~ 1 g δ ☐ ⊕ "E~ യ Ḃ
 Õ യ y s r⁺ ~ 1 g δ ☐ 2 q q
 È യ z ☐ K „ 3 h s 4 Q e ý Ɔ ù ☀ i~ x
 k↑ Ɔ ù — q,
 ~ K 4 ù~ 4 4 h á m ~ 7 യ 7 Ḃ
 g á t è k r⁺ ☀ z H~ ൯ ☐ á z t è k r⁺ ☀
 ~ Ž യ ☐ ൯ ☐ Ž Û~ N^T £ Ɔ~ Δ
 e N^T £ È~ r⁺ ~ t è ☐ G~ „ φ q z Õ യ t è ☐ Ḃ 3
 á ~ 7 ù~ F e r 1 യ 4 z ☐ h
 4 m Ḃ r⁺ q,

~ ù
 ~ z ☐ Ḃ k Q Ā K 4 യ m 4 ó 4 z k↑ Q ☀
 q,
 ~ Ḃ z ☐ B á Ḃ r⁺ ù k Ž r Ý 1 ☀
 യ 3 ⊕ ù φ q Q ~ 7 4 4 ☀ ó á
 ṽ 7 ù~ F e r 1 q Ḃ k 1 യ
 ~ ù z ☐ á r⁺ 4 ó = Ž ~ z യ 4 m B
 á 1 ☀ q Ḃ z ☐ Ḃ Õ 4 യ "I 3 m
 ⊕ ù φ q,
 ~ Ḃ = t è z യ Q ~ s ☐ K 7 r⁺ ~ K A g δ ☐
 g ý g δ ☐ 4 ~ 7 1 s ~ „ φ യ Û z
 ☐ Ɔ Ž ý — 7~ N യ 4 3 z ☐ ⊕
 ù φ q,
 ~ Û യ Ḃ z ☐ . á g r⁺ ~ k A g δ ☐ g യ ↑ g δ
 e u

M 9 p ~ 9 K ↑ q 9 9 ↑
 ~ m 9 q
 ~ a i n v K √ ū O Ā √ ŷ ~ ħ
 ~ s √ z t Ē n q

$$H^2(E^{\sim}) \cong H^2(\mathbb{Q}) \oplus H^2(\mathbb{R}) \cong \mathbb{Q} \oplus \mathbb{R}.$$
[illegible]

$\neg^\circ$ $\dot{\eta}\ddot{\Gamma}$ $\mathfrak{M}$ $\mathfrak{h}$ $\mathfrak{y}$ $\mathcal{O}$ $\mathfrak{r}^{\dot{+}}$ $\mathfrak{g}$ $\mathfrak{H}$ $\circ\Omega$ $\mathfrak{s}\circ\sim$ $\mathfrak{s}^G$ $\mathfrak{y}$ $\mathfrak{I}$ $\mathfrak{z}$
 $\mathfrak{s}\sim$ $\mathfrak{w}$ $\blacksquare$ $\hat{Z}$ $\sim$ $\mathfrak{U}$ $\blacksquare\Omega$ $\sim$ $\mathfrak{s}^G$ $\mathfrak{y}$ $\blacksquare$ $\mathfrak{z}$ $\mathfrak{w}$
 $\mathfrak{w}$ $\blacksquare$ $\mathfrak{z}$ $\hat{Z}$ $\sim$ $\mathfrak{U}$ $\tilde{\mathfrak{e}}$ $\mathbb{P}$ $\mathfrak{w}$ $\sim$ $\mathfrak{s}^G$ $\mathfrak{q}$ $\mathfrak{r}$